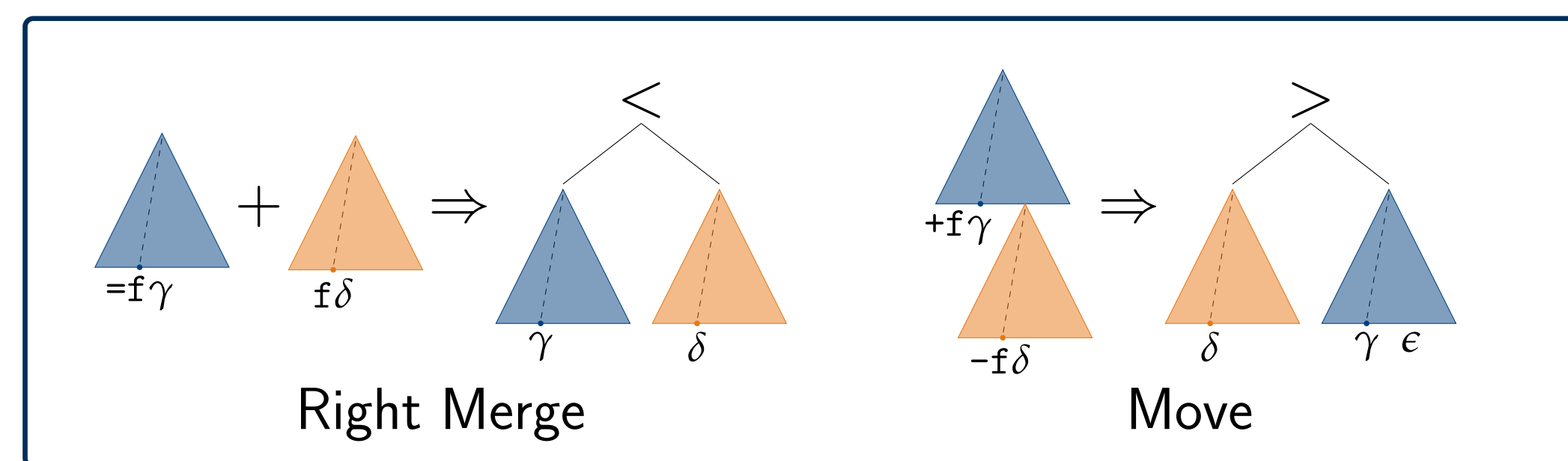


## Introduction

- Is it possible to **compare competing analyses** of syntax phenomena based on some robust quantitative metric?
- Assume a sufficiently rich formalism compatible with the Minimalist framework (CHOMSKY 1995)
- Frame the question as a **learning problem** (GOLD 1967)

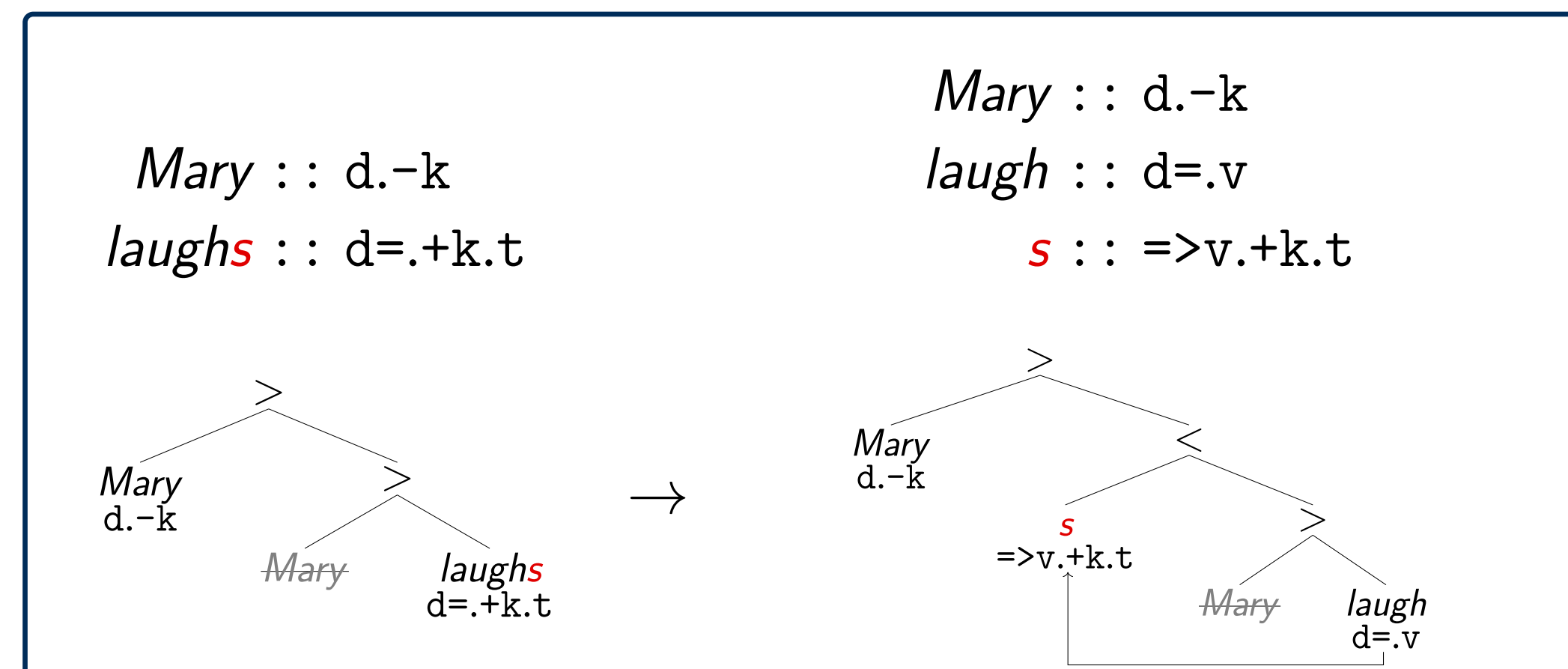
## Minimalist Grammars

- Introduced by STABLER (1997)
- **Lexical items:** pairs consisting of a phonological exponent and a sequence of syntactic features
- Two structure-building operations: **Merge** and **Move**



## Lexical item decomposition

- Lexical items can be learned from dependency structures over segmented words (KOBELE ET AL. 2002)
- **Our goal:** relax the segmentation requirement and learn morphological structure within complex words



- KOBELE (2018): an operation that **splits a lexical item** in two, creating a new syntactic category

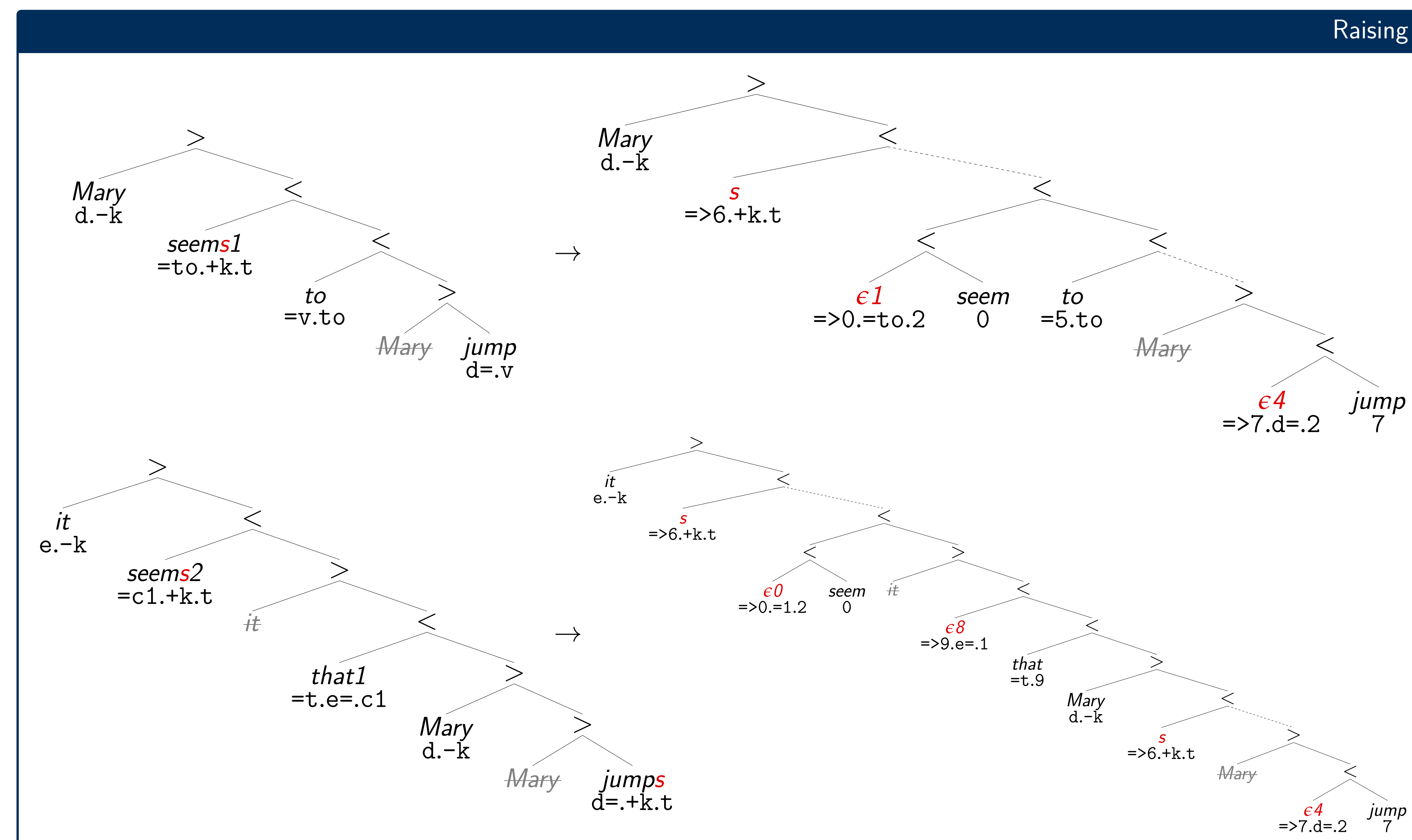
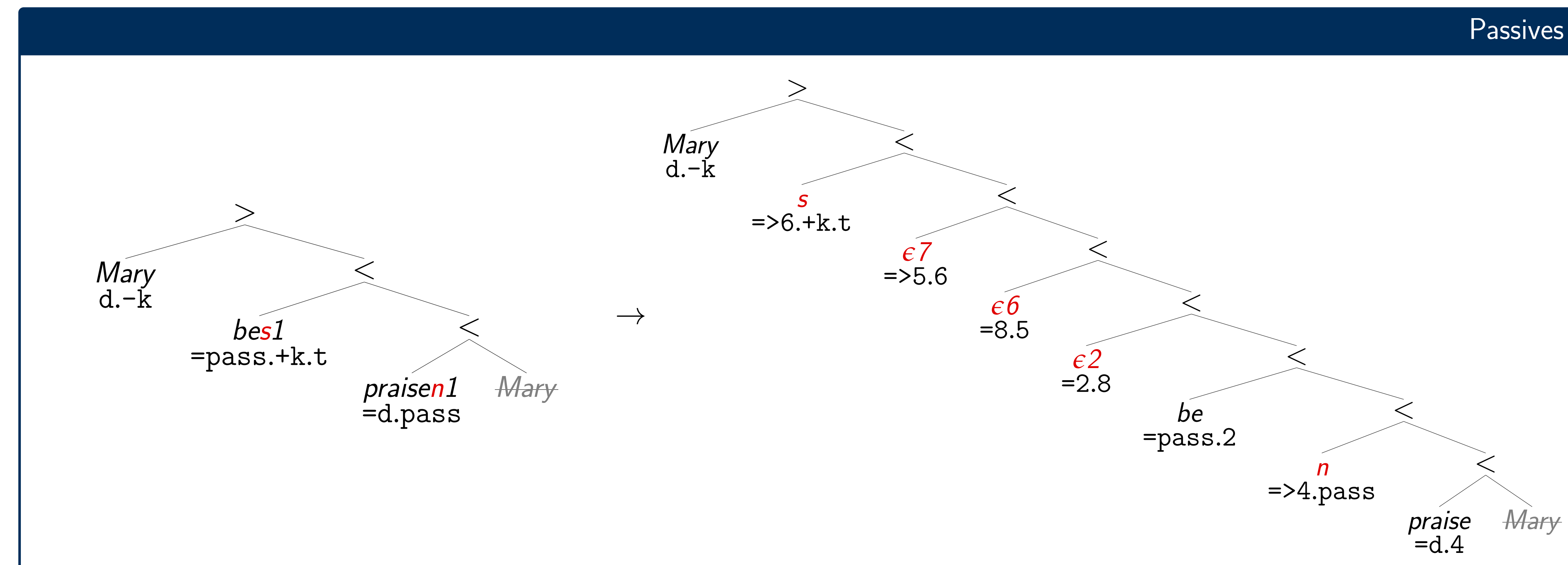
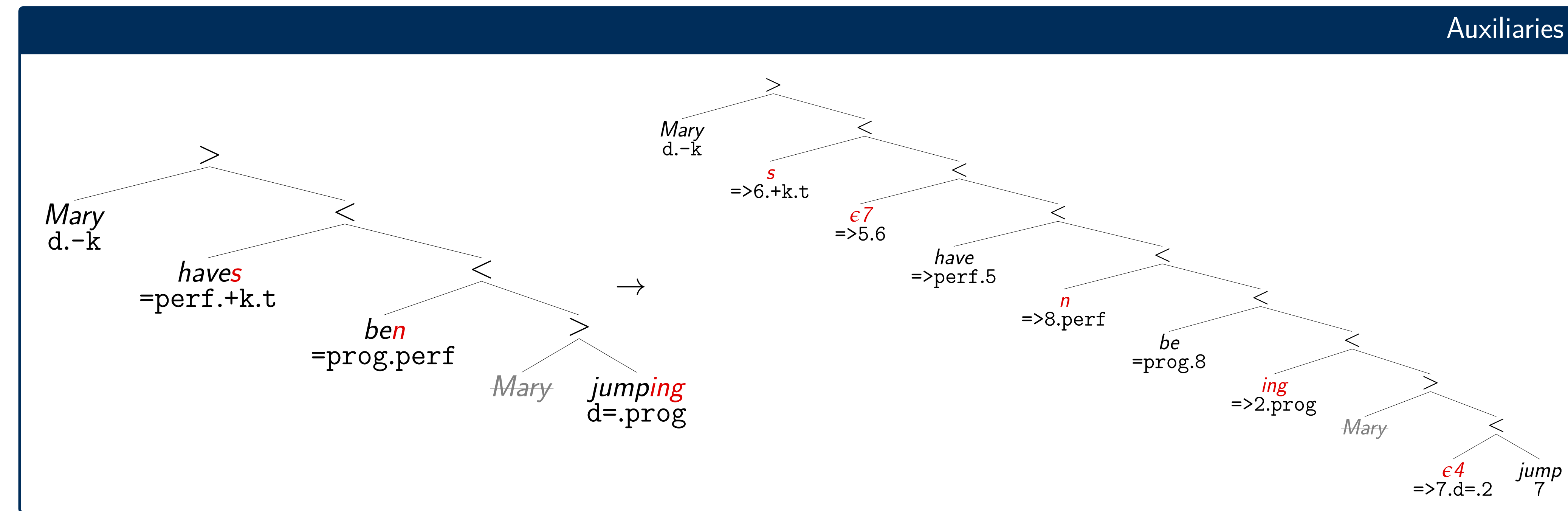
$$w :: \alpha\beta\gamma \rightarrow \begin{matrix} u :: \alpha\gamma \\ v :: \Rightarrow\gamma\beta\alpha \\ w = u \oplus v \end{matrix}$$

- New lexical items form a complex head via **Head Movement**
- A morphological rule constructs the original phonological exponent from the root and affix

## Work in progress

- Factor out **linguistic generalizations** and express them as new lexical items
- Derive **empty functional heads** if necessary
- Multiple lexical items sharing syntactic and/or phonological features can be decomposed as a batch
- Use **Minimum Description Length** (RISSANEN 1978) to quantify differences between grammars
- **Case study:** simplified English with fully regular morphology

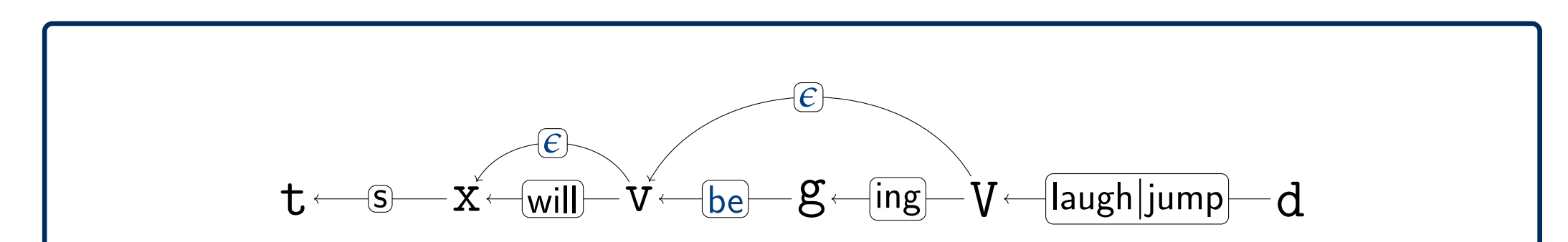
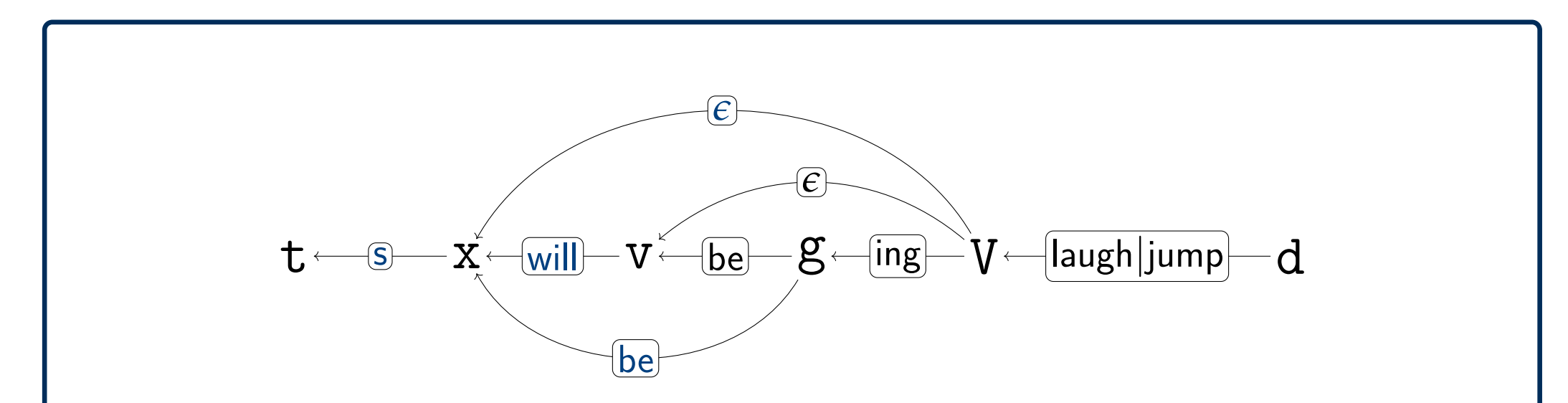
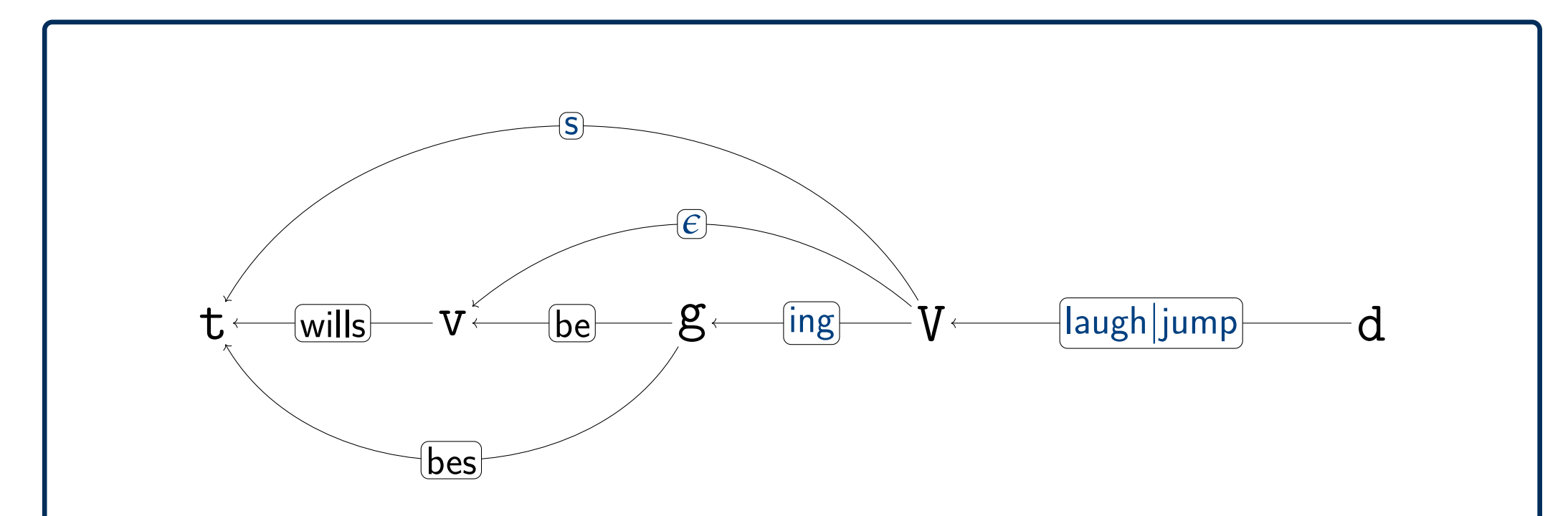
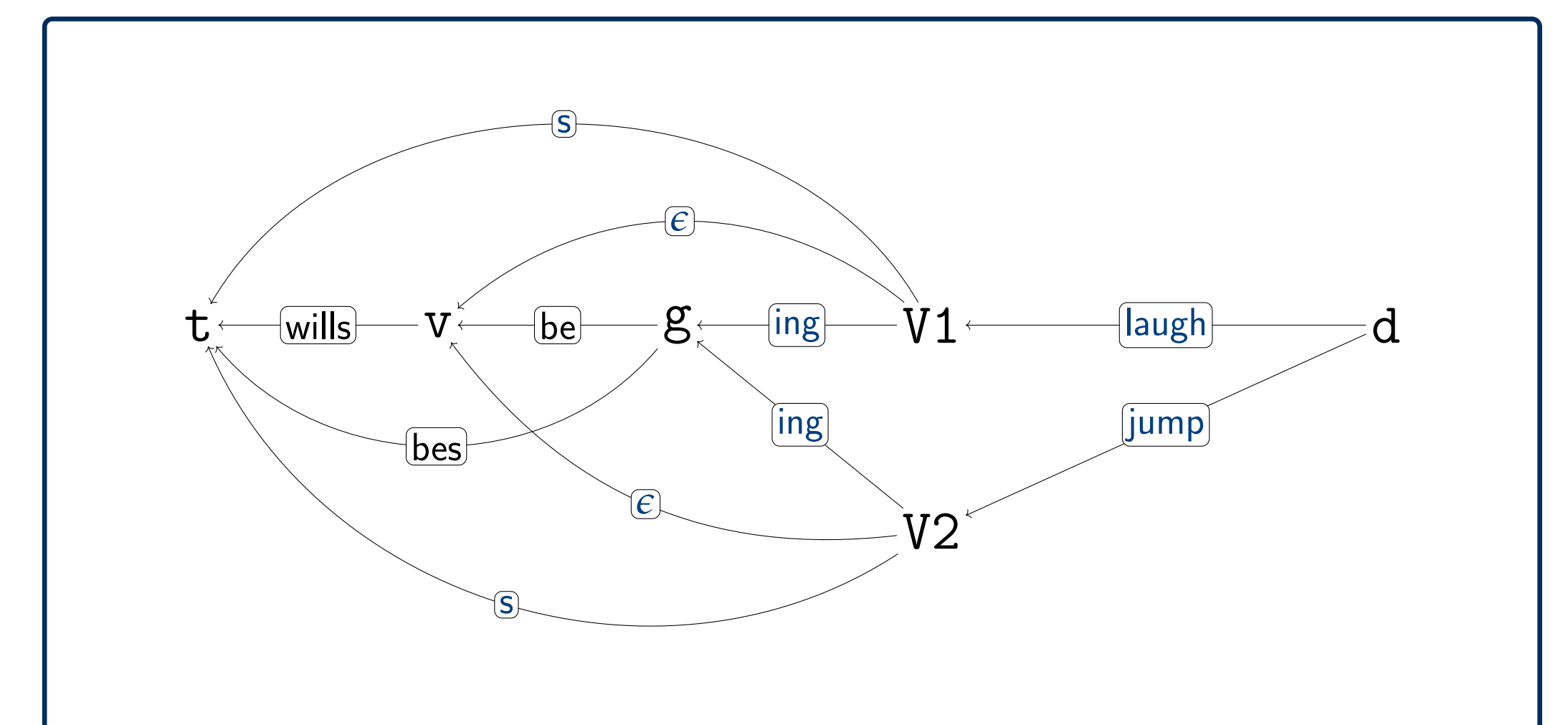
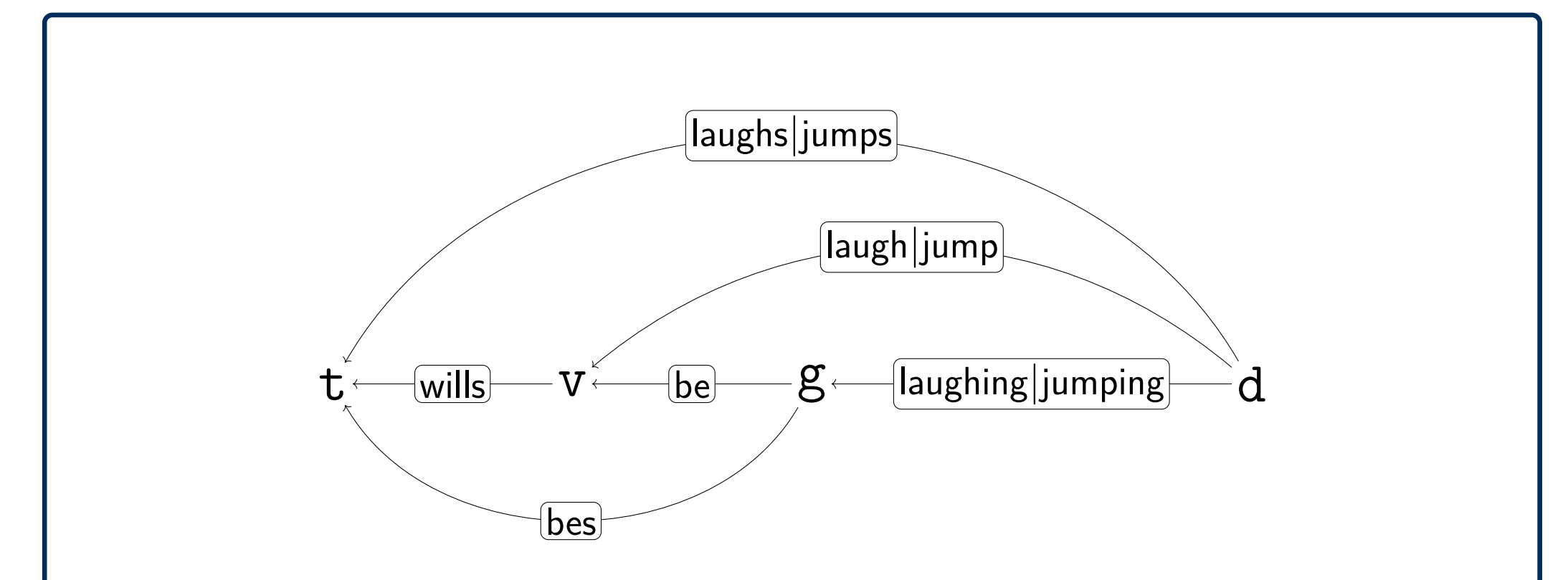
## Preliminary results



## Transforming a lexicon

Original lexicon

Mary :: d.-k	laughs :: d=+k.t	jumps :: d=+k.t
bes :: =g.+k.t	laughing :: d=g	jumping :: d=g
wills :: =v.+k.t	laugh :: d=v	jump :: d=v
be :: =g.v		



Final lexicon

Mary :: d.-k	s :: =x.+k.t	will :: =v.x
laugh :: d=V	epsilon :: =v.x	be :: =g.v
jump :: d=V	epsilon :: =V.v	ing :: =V.g